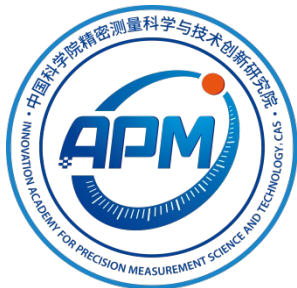


FOMO2024

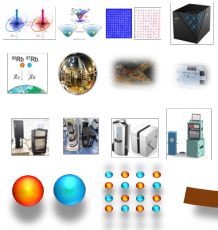
Atom Interferometry in Space

Mingsheng Zhan (詹明生)



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Innovation Academy for Precision Measurement Science and Technology, CAS

2024.9.10 Crete

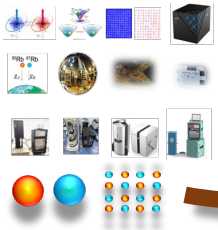


OUTLINE



- *Why AI in space*
- *Path of AI to space*
- *CSS-AI: payload*
- *CSS-AI: experiments*

AI: Atom Interferometer
CSS: China Space Station



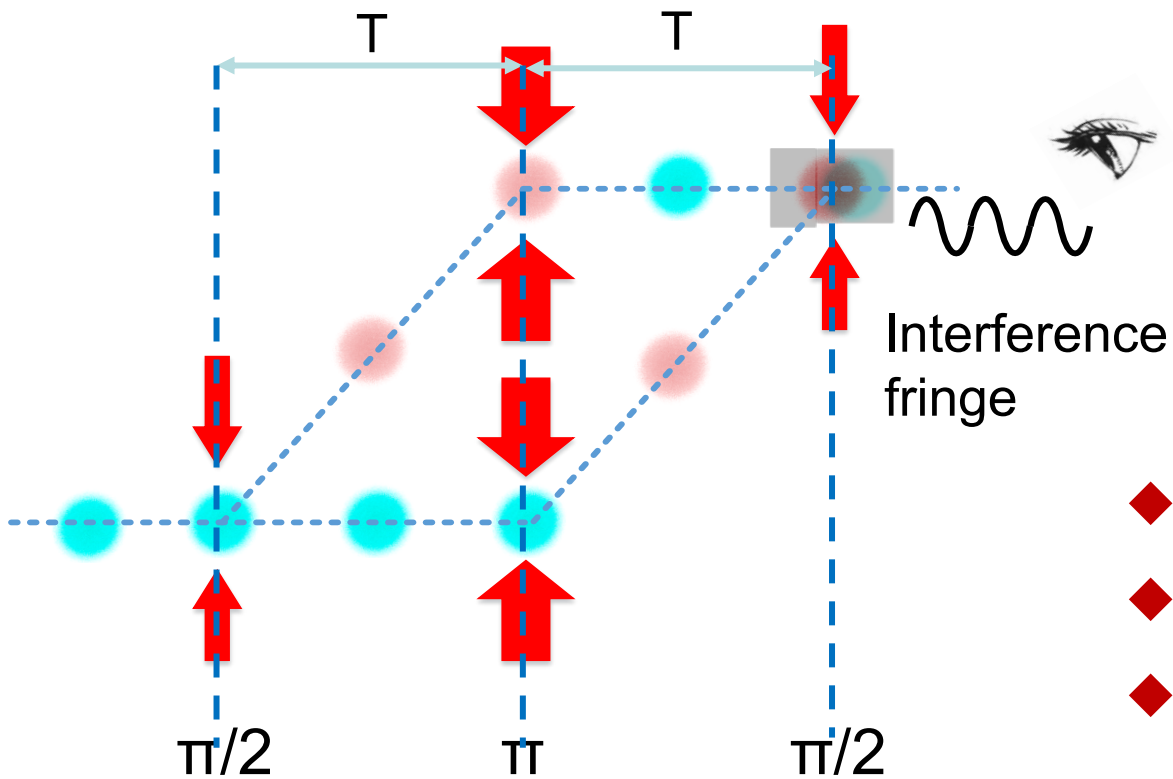
OUTLINE



- **Why AI in space**
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Atom interferometer and its application

Atom interferometer (AI)



The phase of the fringe

$$\phi = \vec{k}_{eff} (\vec{a} + \vec{\Omega} \times \vec{v}) T^2$$

Applications

Applied Physics

- ◆ Gravity survey
- ◆ Navigation
- ◆ Resource exploration

Fundamental physics

- ◆ EP test
- ◆ Fine structure constant
- ◆ Gravitational constant
- ◆ Frame dragging effect
- ◆ Gravitational wave
- ◆ Dark matter

Roadmap of EP test with AI@APM

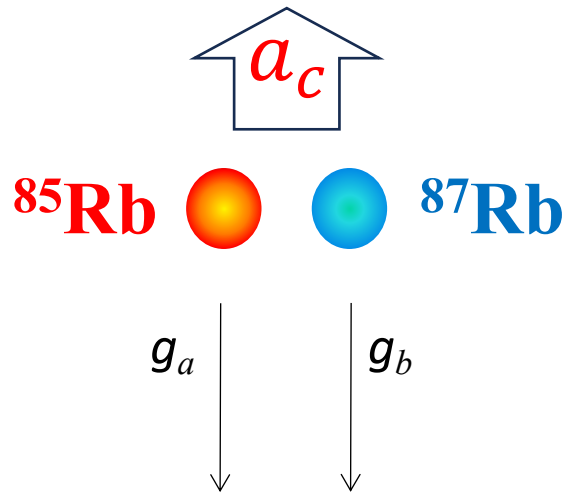
Equivalence Principle (EP) Test
to check the Eötvös-parameter

$$\eta \equiv \frac{g_a - g_b}{(g_a + g_b)/2} = \frac{(g_a - a_c) - (g_b - a_c)}{(g_a + g_b)/2} \stackrel{?}{=} 0$$

Sensitivity

T

Free evolution time



0.2 s

→ 1.3 s

10-m Tower

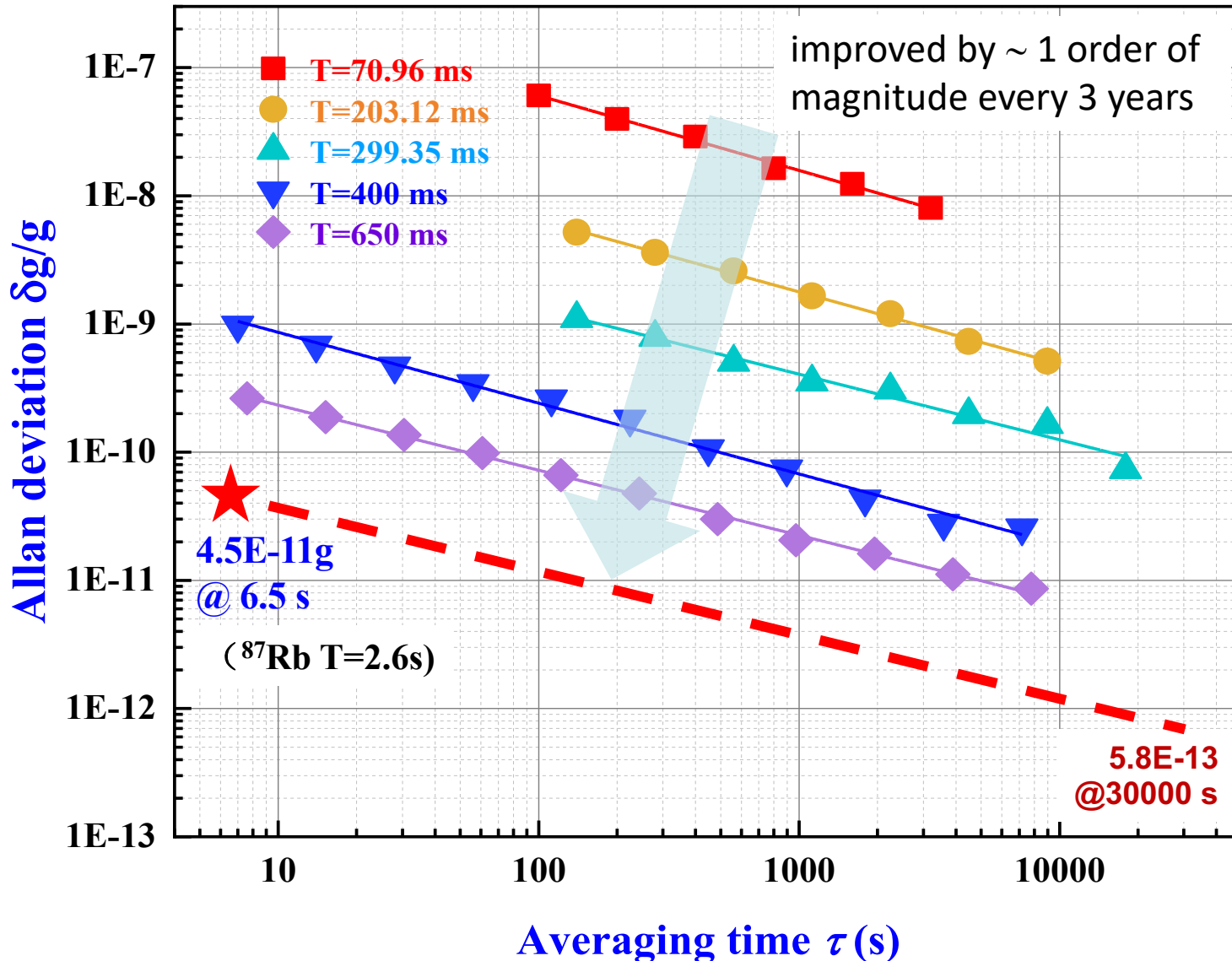
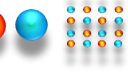
→ 7 s

100-m Tower

→ (2 ~ 100) s

Space Satellite

Sensitivity Improvement of the Wuhan 10-m AI (2015-)



2015

4WDR method

8E-9

L. Zhou, S.T. Long et al. *Phys. Rev. Lett.* **115**, 013004 (2015)

2018

Coriolis effect compensation

5.1E-10

W. T. Duan, C. He et al. *Chin. Phys. B* **29**, 070305(2020)

2020

AC Stark shift Optimization

7.3E-11

L. Zhou, C. He et al. *Phys. Rev. A* **104**, 022822 (2021)

2022

Shear phase readout

2.5E-11

L. Zhou, S. T. Yan et al. *Frot. Phys.* **10**, (2022)

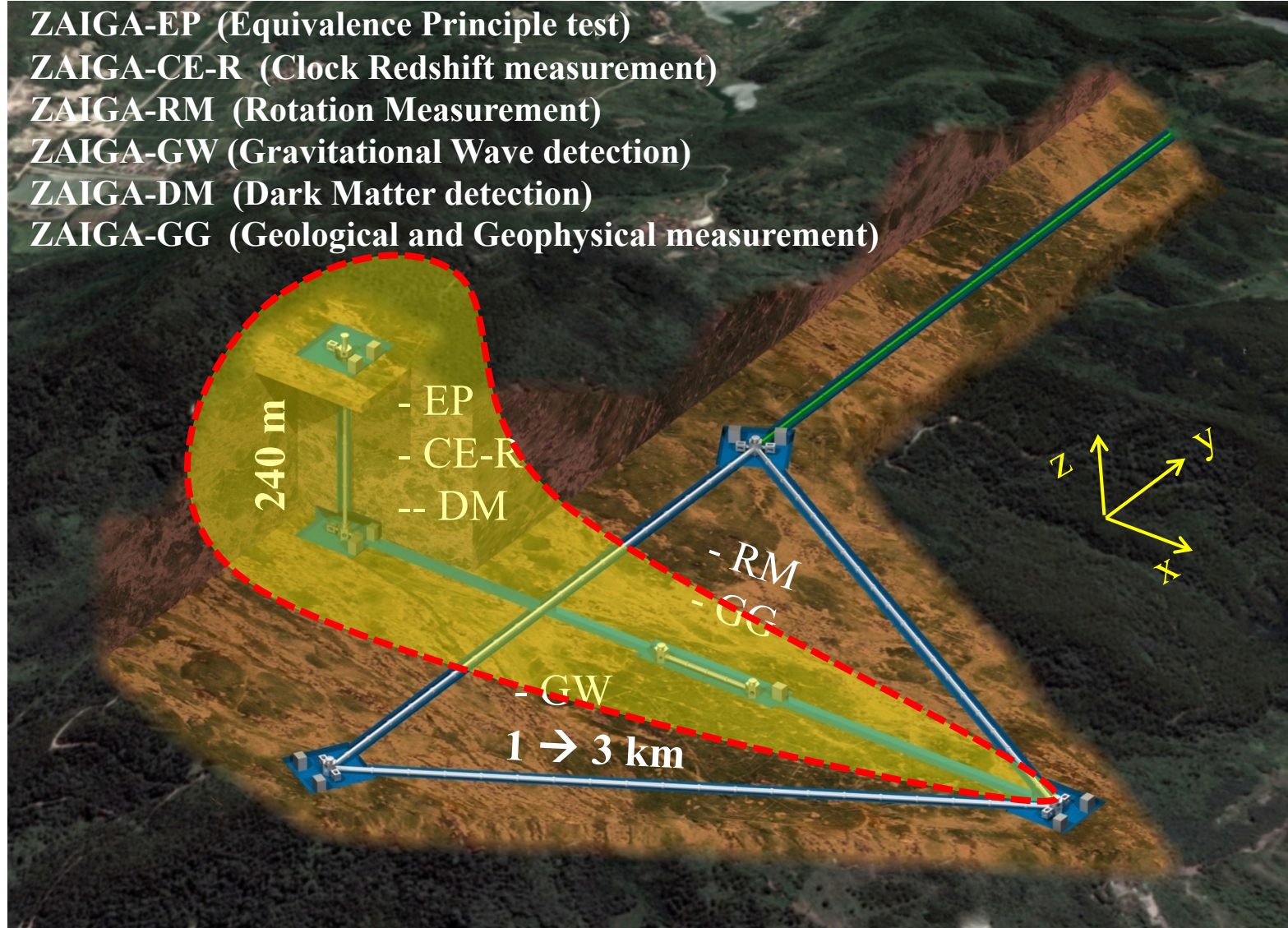
S. T. Yan et al. *Phys. Rev. A* **108**, 063313 (2023)

2023

Gravity gradient compensation

8.6E-12

ZAIGA: Zhaoshan long-baseline Atom Interferometer Gravitation Antenna



to test gravity theory by atomic interferometer, atomic optical clock and atomic gyroscope

Research Roadmap of ZAIGA

Building abilities

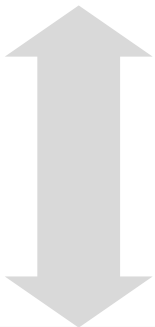
Item	Goal
AI baseline (Falling time)	240 m ($T \geq 6$ s)
Atom species for AI	^{85}Rb ^{87}Rb ^{87}Sr ^{88}Sr
Gravity measurement	1×10^{-12} g
Rotation measurement	8×10^{-12} rad/s
Stability of Sr/Yb clock	2×10^{-18}
Local gravity monitoring	1 μGal

Scientific Tests

Item	Goal
WEP test	$\eta \sim 10^{-13}$
Redshift test	$\alpha \sim 10^{-5}$
Lense-Thirring effect	$\sim 10^{-14}$ rad/s
Dark matter probe	$d \sim 10^{-4}$ @ 1 Hz
GW detection	$s \sim 10^{-19}$ @ 1 Hz

DM & GW

Item	Goal
Dark matter probe	$d \sim 10^{-6}$ @ 1 Hz
GW detection	$s \sim 10^{-21}$ @ 1 Hz



Phase I
2022 - 2027

Phase II:
2027 - 2035

Phase III
2035 -

ZAIGA

240 m Vertical AI
20 m Gyros
10 m Dual Rb/Sr AI
2E-18 Optical Clocks

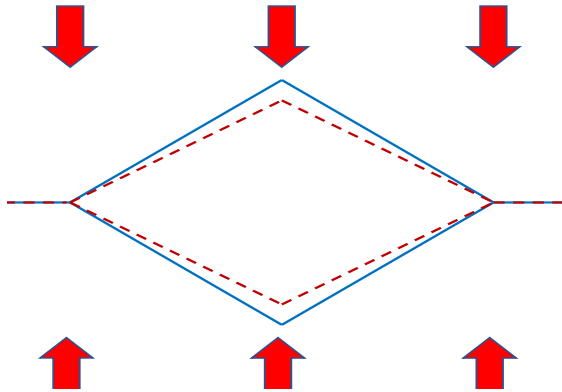
240 m Vertical AI array
 Δ 1000 m Horizontal AI array

\geq 3000 m Horizontal AI

AI in space

Advantages in space

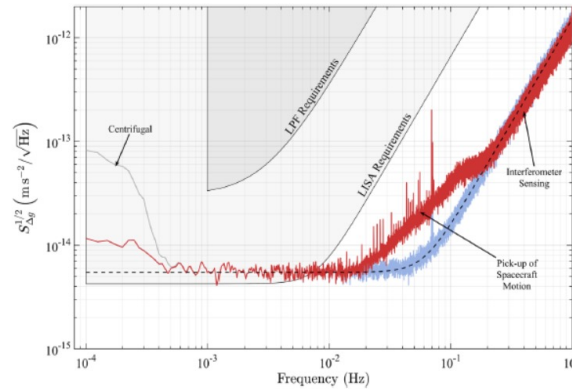
Long Interference time



1.2 m Separation of the wave packet for $T=50$ s

Mainly limited by the temperature of the atom cloud

Extremely quiet vibration environment



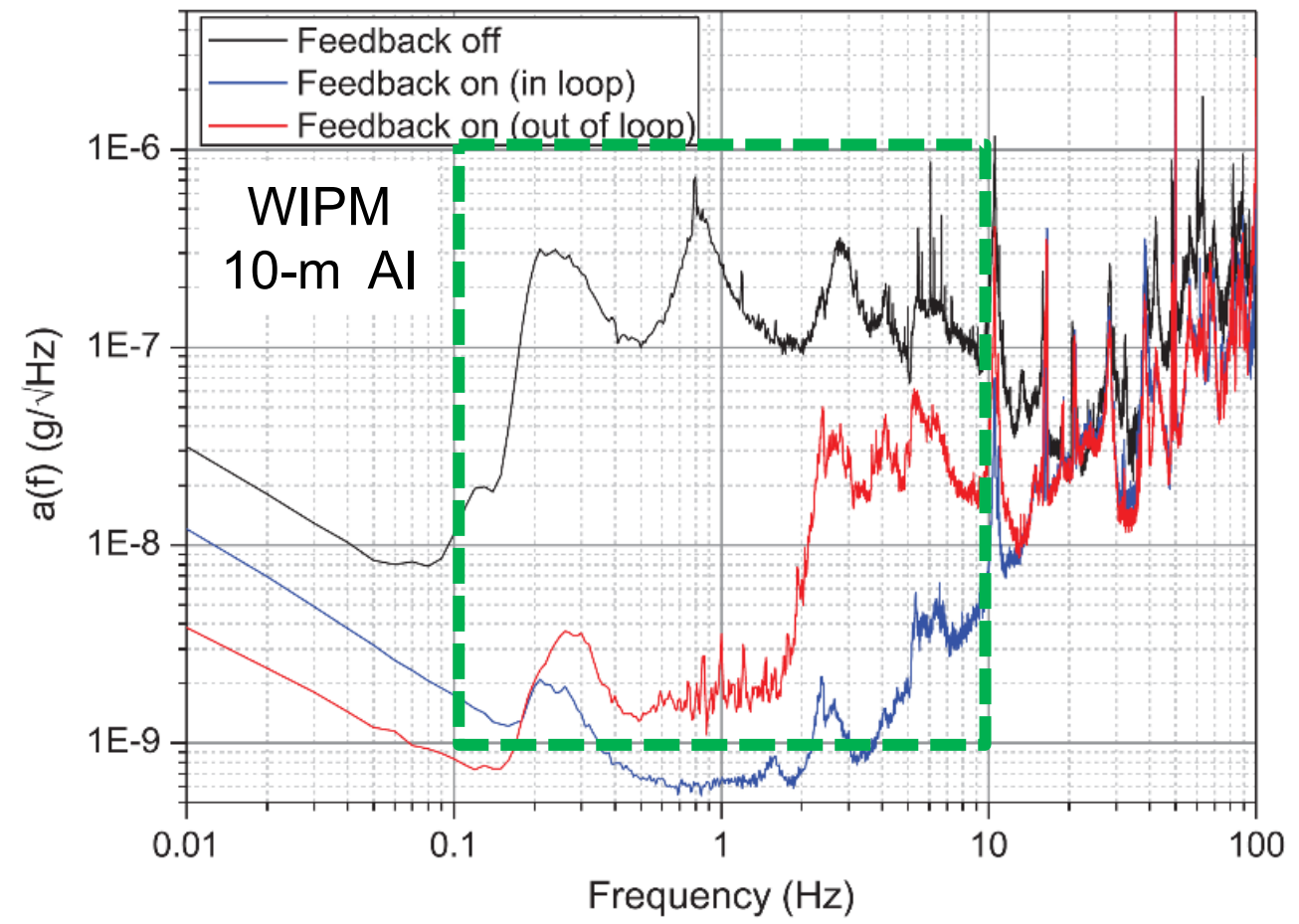
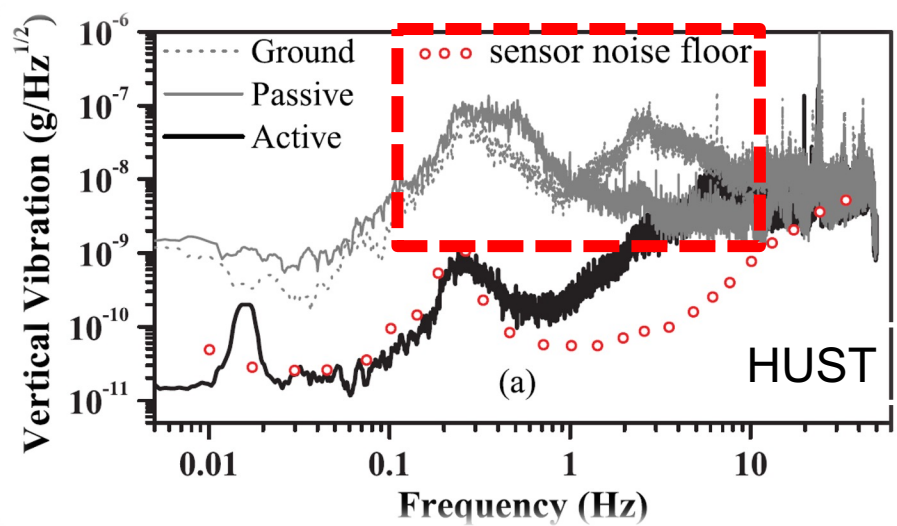
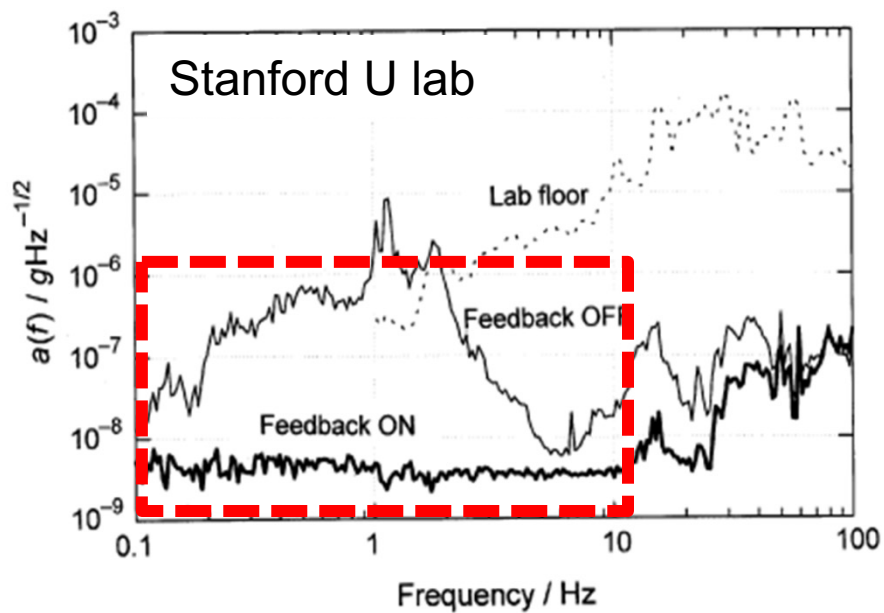
Residual acceleration
 $10^{-11} \sim 10^{-15} \text{ m/s}^2$
(Drag free control)

Much better than ground

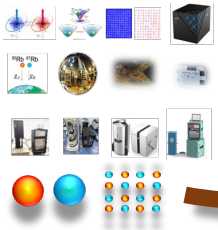
Challenges

- ◆ Requirement for the spacecraft (Residual acceleration, structural stability, Residual magnetization control)
- ◆ Vibration during rocket launch
- ◆ Vacuum environment
- ◆ Reliability, Long life time
- ◆ High-energy particle radiation in space

Vibrational noises on the Ground



B. Tang *et al.*, *Rev. Sci. Instrum.* **85**, 093109 (2014)



OUTLINE



- Why AI in space
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- CSS-AI: experiments

Space AI proposals

El-Neaj et al. *EPJ Quantum Technology* (2020) 7:6
<https://doi.org/10.1140/epjqt/s40507-020-0080-0>



RESEARCH

Open Access

AEDGE: Atomic Experiment for Dark Matter and Gravity Exploration in Space



EPJ Quantum Technology
a SpringerOpen Journal

Alonso et al. *EPJ Quantum Technology* (2022) 9:30
<https://doi.org/10.1140/epjqt/s40507-022-00147-w>



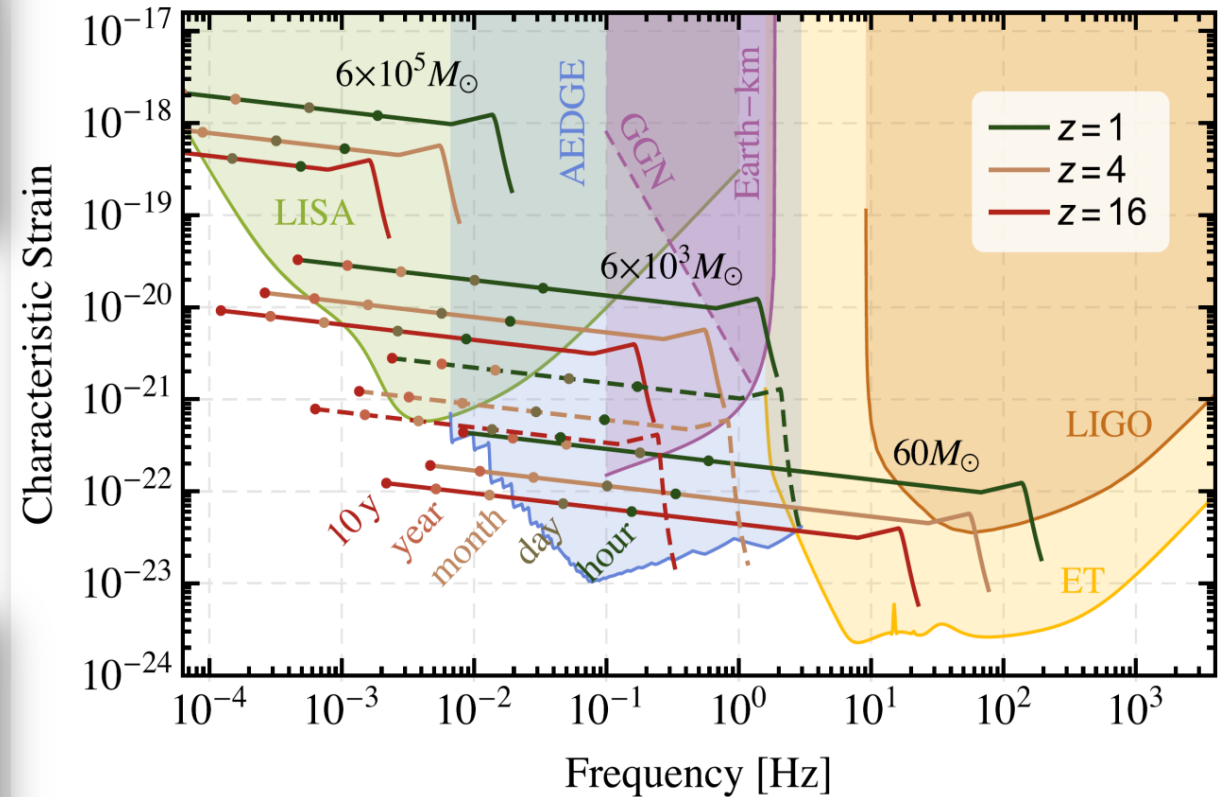
REVIEW

Open Access

Cold atoms in space: community workshop summary and proposed road-map



EPJ Quantum Technology
a SpringerOpen Journal



Space AI proposals

ZMS - AMP

Technology roadmap for cold-atoms based quantum inertial sensor in space

Cite as: AVS Quantum Sci. **5**, 019201 (2023); doi: [10.1116/5.0098119](https://doi.org/10.1116/5.0098119)

Submitted: 5 May 2022 · Accepted: 22 November 2022 ·

Published Online: 20 March 2023



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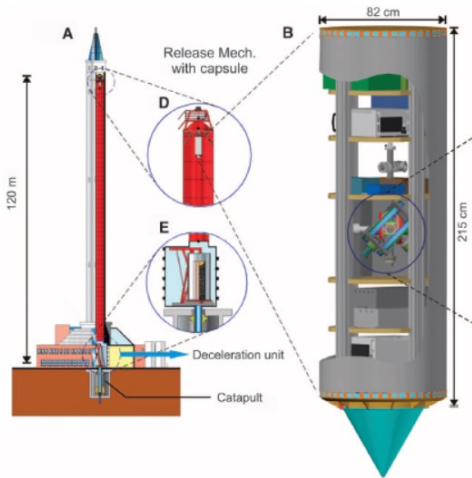


[CrossMark](#)

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Marcin Witkowski,²⁷  Nassim Zahzam,⁹  and Michał Zawada²⁷ 

AI taking off from the ground

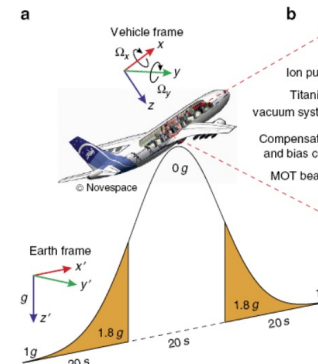
Dropping tower



- Bose-Einstein Condensation in Microgravity(2010)
- Interferometry with Bose-Einstein Condensates in Microgravity(2013)

T. van Zoest, et al. *Science* 328, 1540,2010
H. Muntinga, et al. *PRL* 110, 093602,2013

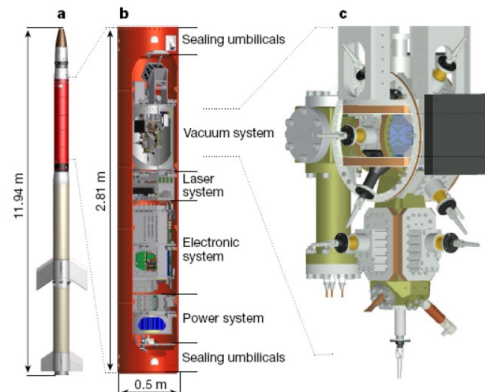
Parabolic flying plane



- Detecting inertial effects with airborne matter-wave interferometry(2011)
- Dual matter-wave inertial sensors in weightlessness(2016)

R. Geiger, et al. *NATURE COMMUNICATIONS*, 2:474, 2011
Brylne Barrett, et al. *NATURE COMMUNICATIONS*, 7:13786, 2016


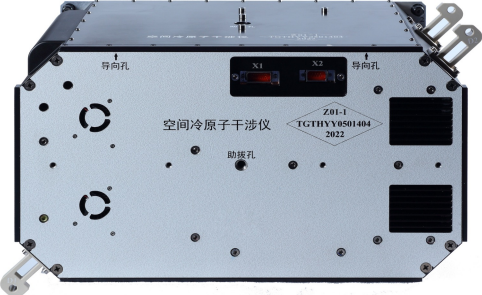
Sounding rocket

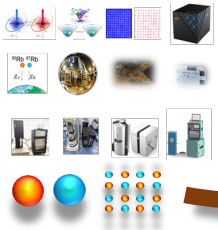


- Space-borne Bose–Einstein condensation for precision interferometry (2018)
- Ultracold atom interferometry in space(2021)

Dennis Becker, et al. *NATURE*, 562, 18, 2018
Maike D. Lachmann, et al. *NATURE COMMUNICATIONS*, 12:1317,2021

ISS-AI vs CSS-AI

	<p>ISS-CAL</p> 	<p>CSS-AI</p> 
Science objectives	<ul style="list-style-type: none"> ● Ultra cold atom preparation ● Quantum gases research ● Atom interferometry ● EP test 	<ul style="list-style-type: none"> ● Atom interferometry ● Rotation measurement ● Gravity measurement ● EP test
Atom species	^{87}Rb , ^{41}K and ^{39}K	^{85}Rb and ^{87}Rb
Atom cooling scheme	Atom chip	2D+3D laser cooling
Cold atom cloud parameters	Number 10^4 Temperature <1 nK	Number $>5 \times 10^8$ Temperature $2 \mu\text{K}$
Interference scheme	Bragg transition	Double diffraction Raman transition
Achieved interference time	150 ms	200 ms
payload parameters	Size about $90 \text{ cm} \times 55 \text{ cm} \times 50 \text{ cm}$ Power up to 1000 W	Size $46 \text{ cm} \times 33 \text{ cm} \times 26 \text{ cm}$ Power 70 W



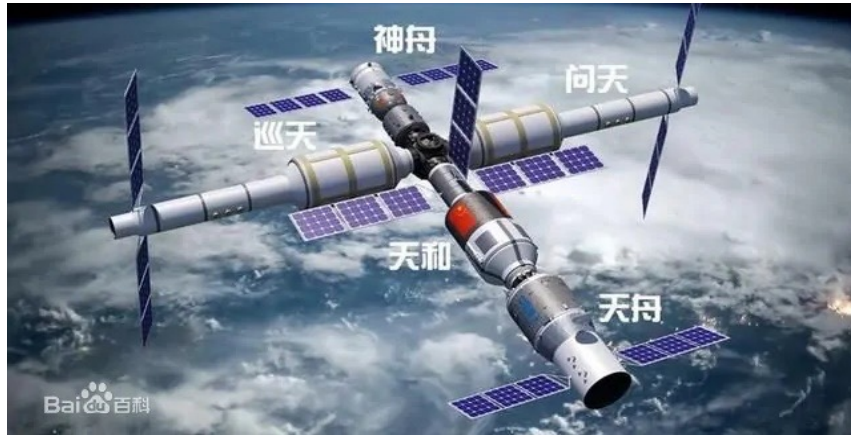
OUTLINE



- Why AI in space
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- CSS-AI: experiments

AI in the China Space Station

The China space station



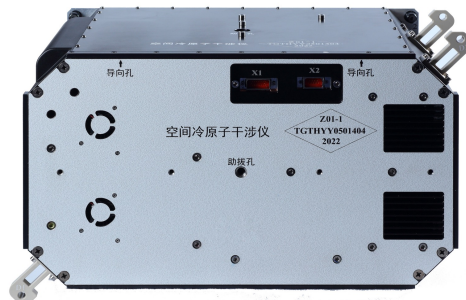
Scientific objectives

Carrying out in-orbit experiments for AI measurements and EP test.

Target accuracy Interference time: 0.1~1 s
Test mass: ^{85}Rb and ^{87}Rb
EP test precision: $\sim 10^{-10}$



High Microgravity Level Research Rack (HMLR)



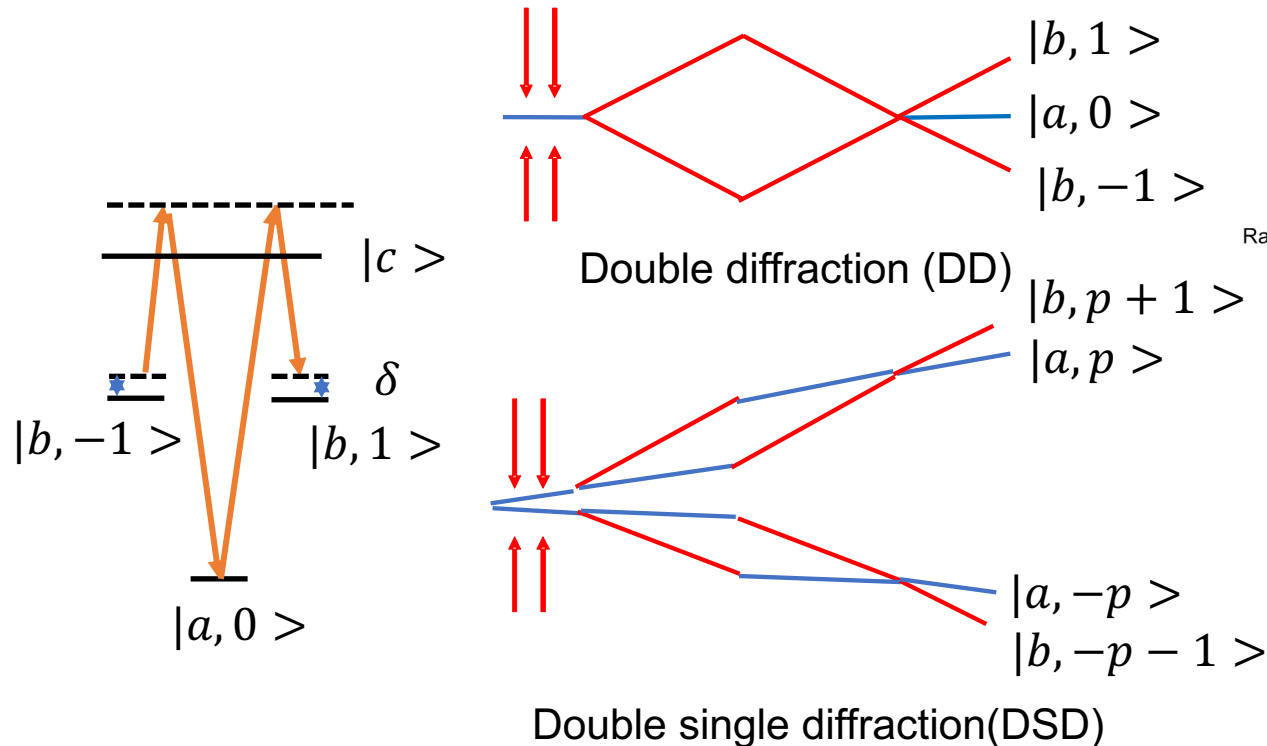
The China Space Station Atom Interferometer (CSS-AI)

Resources provided by HMLR

- Micro gravity: 10^{-7}g
- size: 33 cm \times 46 cm \times 26 cm
- power: $\sim 70\text{ W}$
- Installing: levitation, no heat dissipation channel

The interference scheme

Problem 1: lacking initial velocity of the atom cloud
 Energy levels of the Raman transition are degenerate

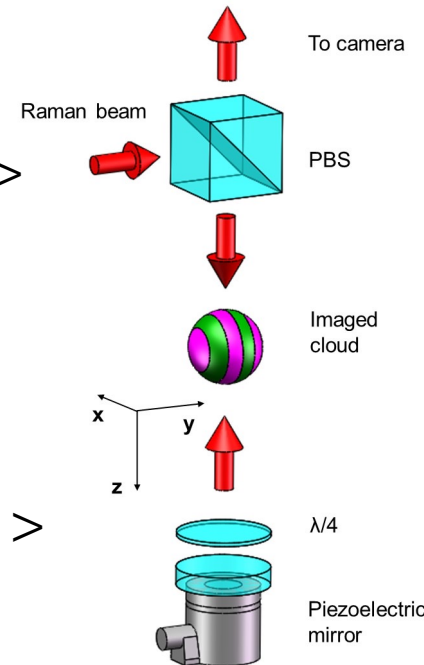


Two interference schemes can be transformed by changing the frequency of the Raman laser.

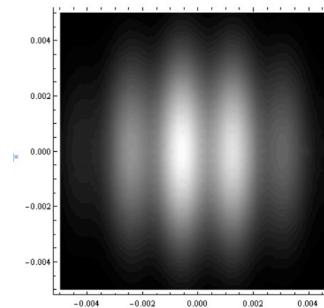
N. Malossi, et al. PRA 81, 013617 (2010)

Brynle Barrett, et al. NATURE COMMUNICATIONS, 7:13786, 2016

Problem 2: Both DD and DSD are immune to the phase of the Raman laser in space
 One can not obtain the interference fringe by scanning the phase of the Raman laser.



The point source interferometry (PSI) is an ideal method to create spatial fringe in space.



spatial fringe

Special design:

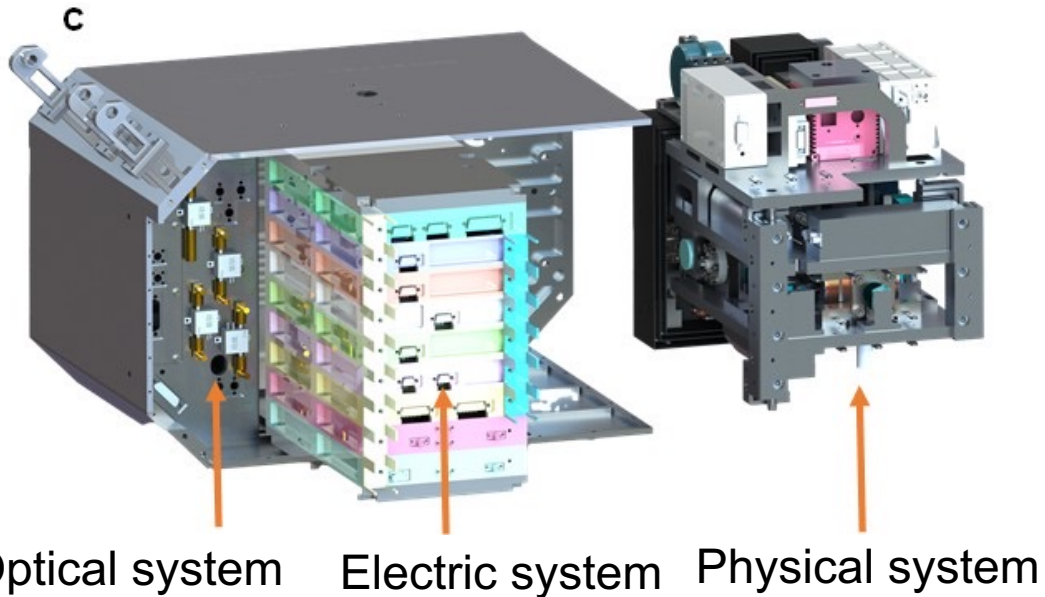
The direction of the Raman laser is consistent with the direction of imaging to avoid reducing the fringe's contrast

Susannah M. Dickerson, et al. PRL 111, 083001 (2013)

Gregory W. Hoth, et al. APL 109, 071113 (2016)

Design of the payload

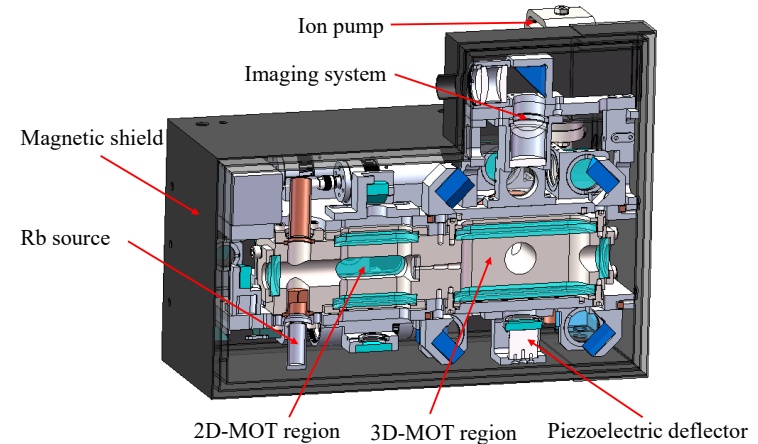
System configuration



Optical system Electric system Physical system

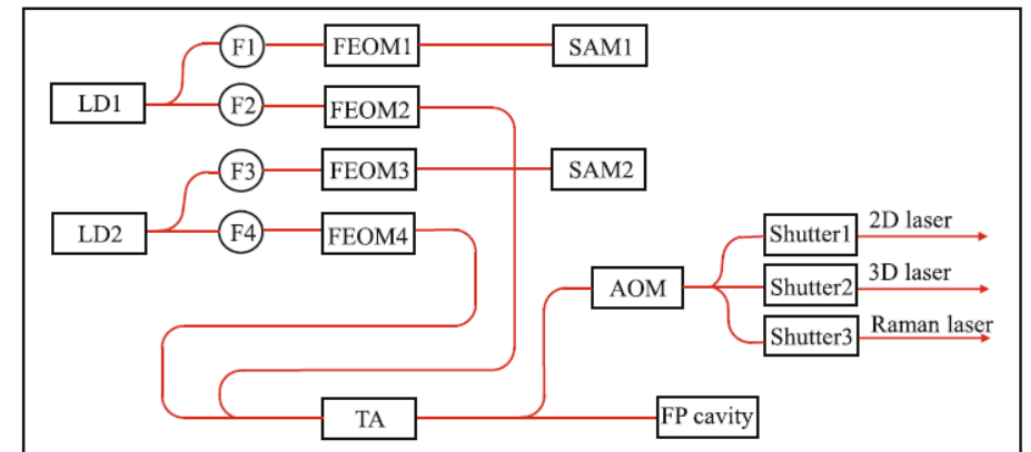
Physical system: 31 cm × 20 cm × 25 cm
 Optical system: 24 cm × 10 cm × 25 cm
 electric system: 24 cm × 14 cm × 25 cm
 Total: 33 cm × 46 cm × 26 cm
 Weight: 37 kg

Physical system



2D+3D chamber, Three layers of magnetic shielding, Integrated IMU

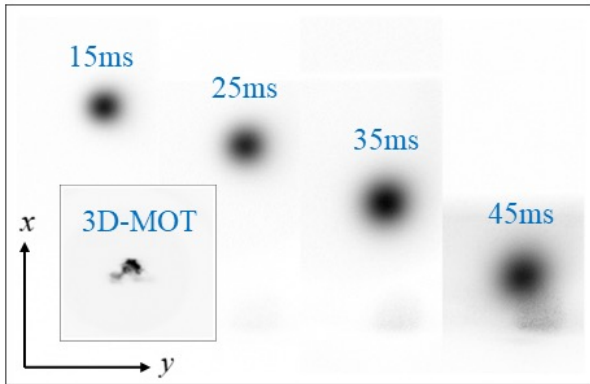
Optical system



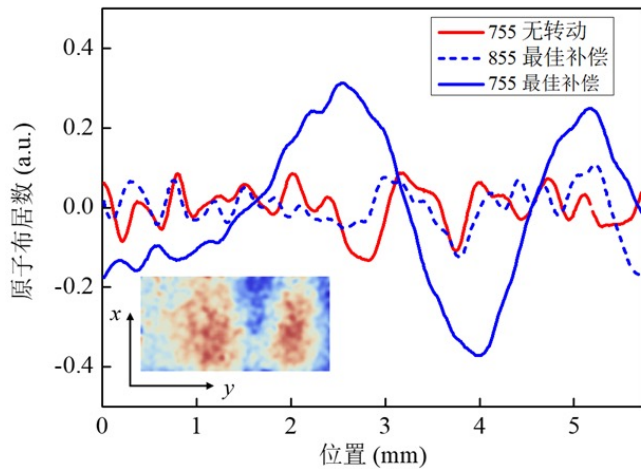
Sideband frequency stabilization, sidebands modulation, Fused silica optical bench

Ground test

Function test



Cold atom preparing: 10^8 , $5 \mu\text{K}$



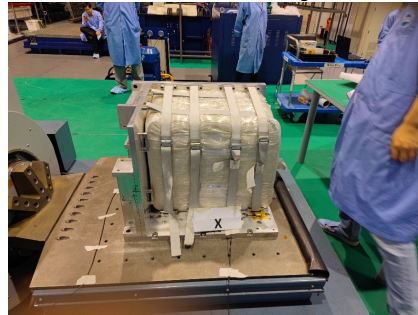
Atom interference : 5 ms

M. He, et al. npj Microgravity 9, 58 2023

Environmental test



Thermal Cycle



Vibration test

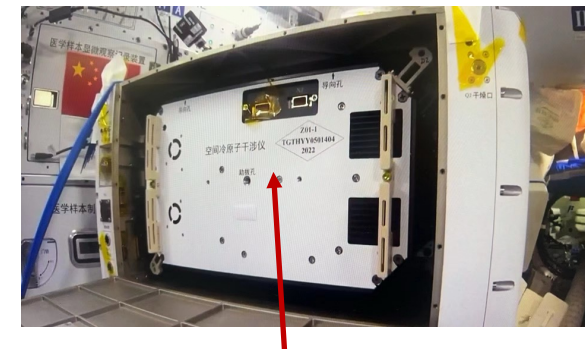
Other tests

- ◆ electromagnetic compatibility
- ◆ Medical Science
- ◆ Ergonomics

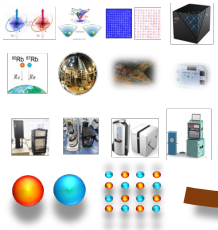
Launch and install



Launched by Tianzhou-5 cargo spacecraft (2022/9)



The Space AI in the HMLR (2022/12)



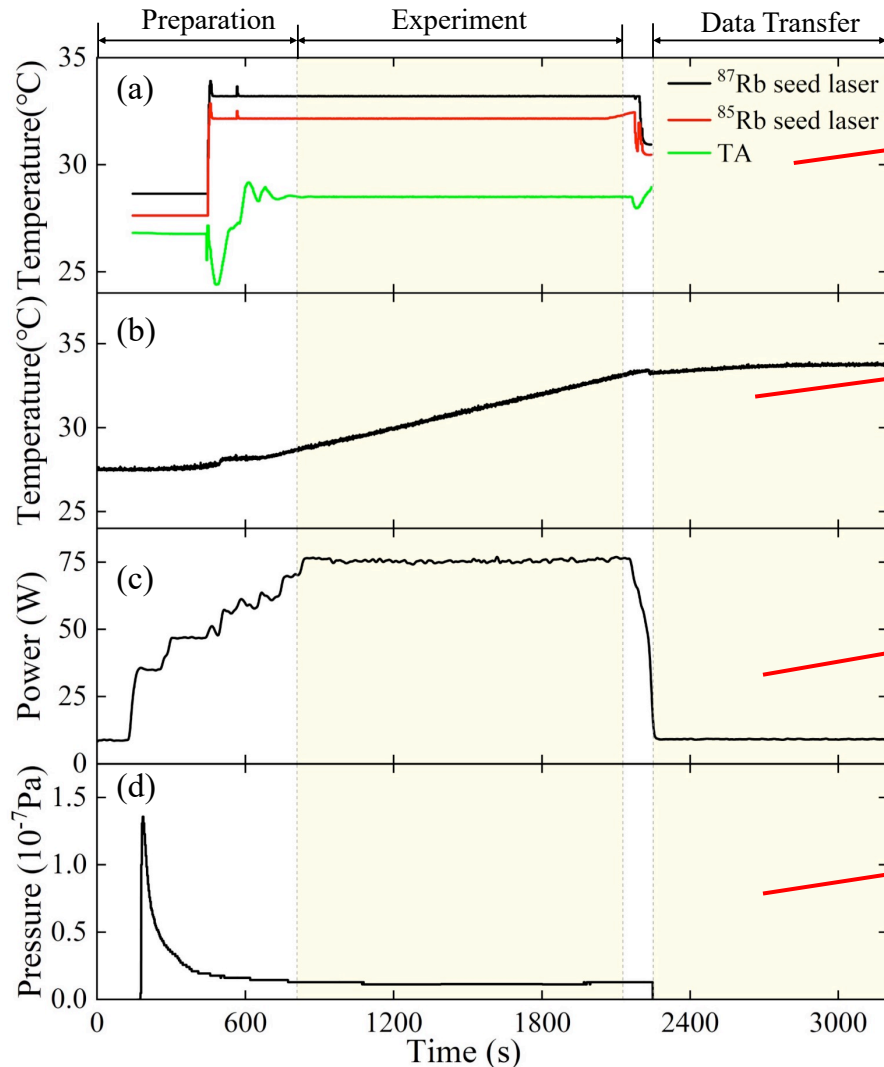
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In orbit test

Intermittent operation mode, each experiment lasts for 50-70 min



Temperature control: Stabilized in 5 minute

Temperature: 0.2 °C /min

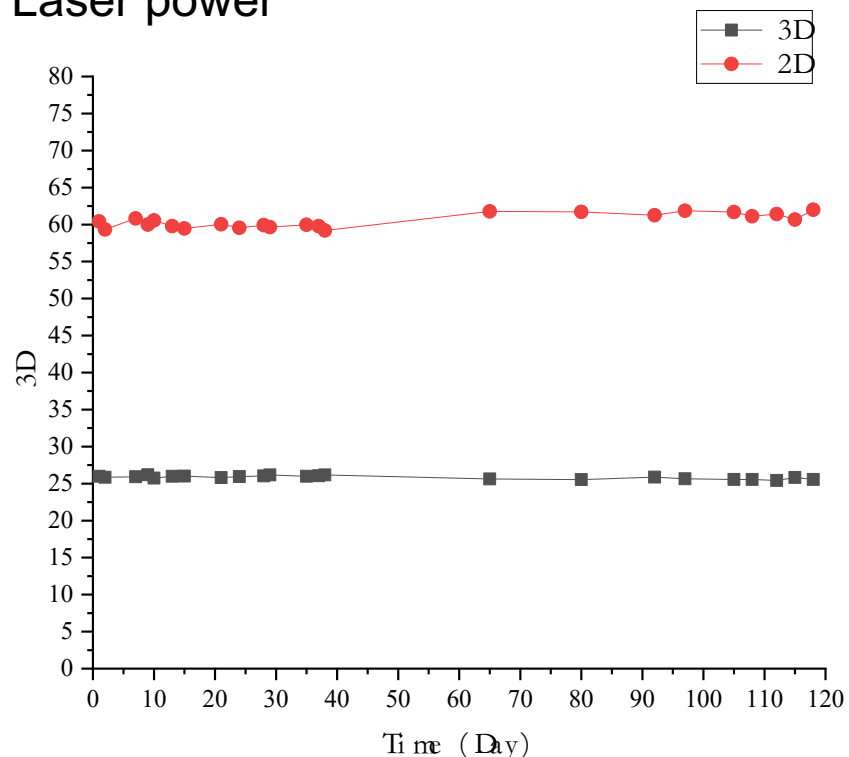
Power: Peak power 75 W

Vacuum: Stabilized in 10 minute, to 10^{-8}Pa

In orbit test

Laser power stability

In orbit monitor the power of the 2D and 3D Laser power



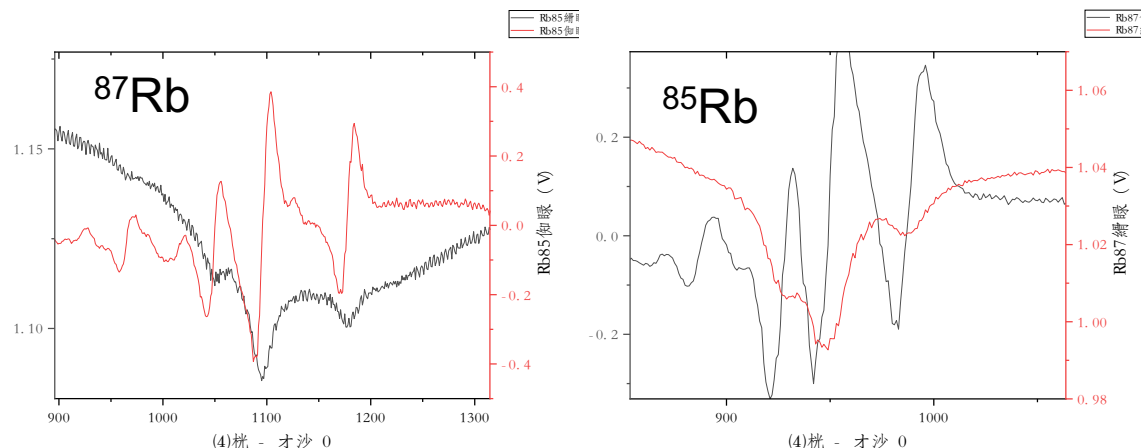
Fluctuation: <1.5% for more than 100 days

Laser frequency locking

In orbit realization of the auto frequency lock of the two seed lasers

$$Corr(m) = \sum_n \frac{x(n)y(n-m)}{\sqrt{\sum_k x^2(k) \sum_k y^2(k)}}$$

Qi-Xue Li, et al. Optics and Lasers in Engineering 126 (2020) 105881



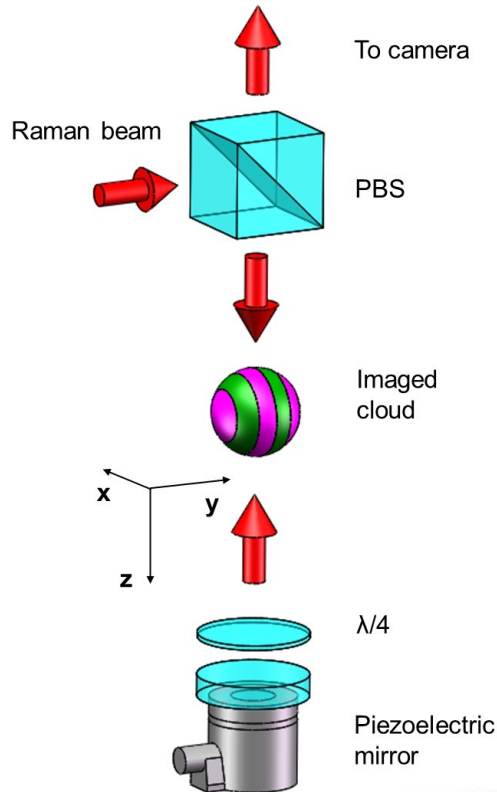
Templates of the SAS for Rb atom

success rate : 100% for Rb⁸⁵ 95% for Rb⁸⁷

Frequency fluctuation after locking

0.94 MHz for Rb⁸⁵ 0.80 MHz for ⁸⁷Rb

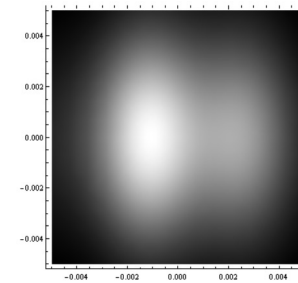
Interference phase of the PSI



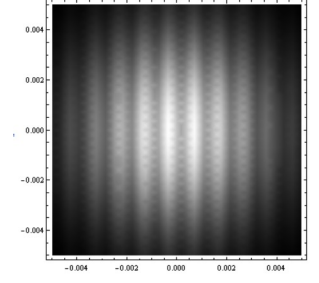
Spatial phase of PSI without rotation the angle of the Raman laser

$$\phi = k_{eff} a_z T^2 + \sum_i k_{eff} 2\Omega_i v_j T^2 \quad i = (x, y), j = (y, x)$$

Problem: For a fix rotation rate (~ 1 mrad/s for the CSS) the spatial frequency is related to the interference time



Frequency too low



Frequency too high

Introduce a Piezoelectric mirror, the phase of the Spatial fringe is

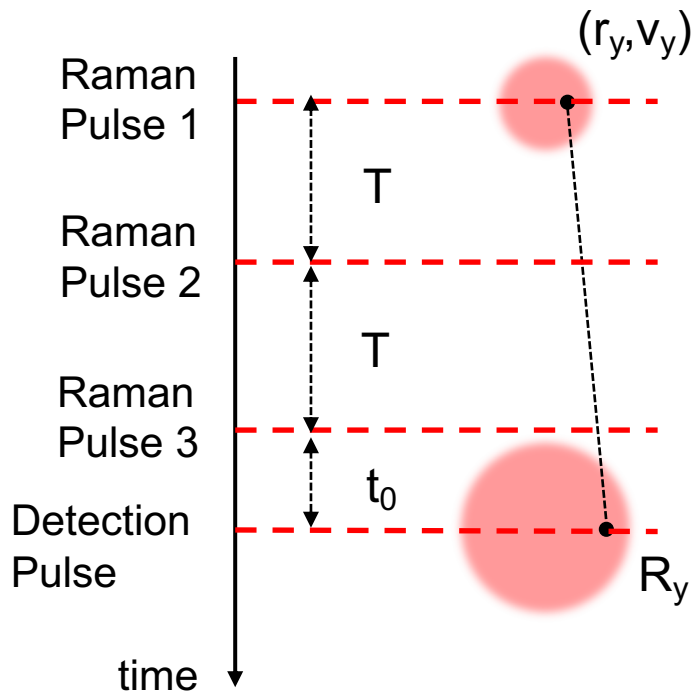
$$\phi = k_{eff} a_z T^2 + \sum_i k_{eff} [2\Omega_i v_j T^2 + \theta_{i,1} r_j + \theta_{i,3} (r_j + 2v_j T)]$$

Can adjust the spatial frequency and its direction



piezoelectric Mirror from coremorrow

Optimizing the Raman laser's angle

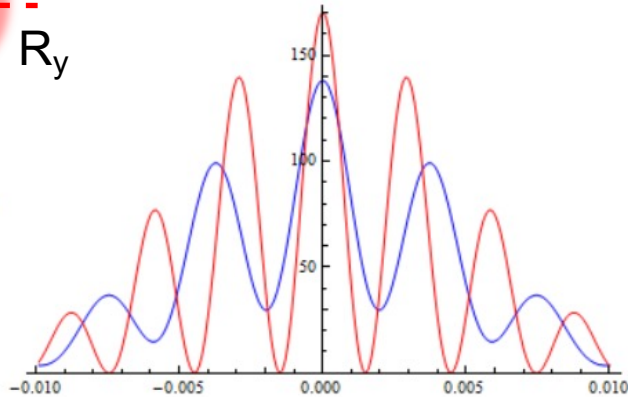


Problem: what we measured is the position of atom at the detection time, but the phase is related to the position and velocity of atom at the time of the first Raman pulse

$$\phi = k_{eff} a_z T^2 + \sum_i k_{eff} [2\Omega_i v_j T^2 + \theta_{i,1} r_j + \theta_{i,3} (r_j + 2v_j T)]$$

$$R_j = r_j + v_j (2T + t_0)$$

The distribution of the atom will influence the spatial frequency of the fringe and lower its contrast.



Blue: rotation with a fix rate $\theta_{i,3} = -\theta_{i,1}$
Red: rotation according to Eq. (1)

$$\theta_{j,1} = \frac{-t_0 \theta_{j,3} + 2 \Omega_j T^2}{2T + t_0} \quad (1)$$

$$\phi_0 = k_{eff} a_z T^2 + \sum_{i=x,y} f_i R_i,$$

$$f_{i0} = \frac{2k_{eff}}{2T + t_0} (\theta_{j,3} T + \Omega_j T^2),$$

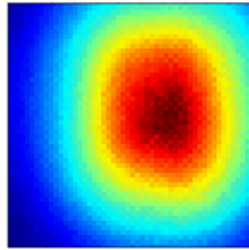
Eliminate the offset and distributions of the position and velocity of the atom cloud and maximize the fringe's contrast.

Extracting the spatial fringe from the background

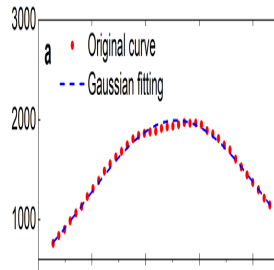
Problem: the contrast of the fringe is low, and the expression of the envelop is unknown.

Design a scheme to extract the fringe

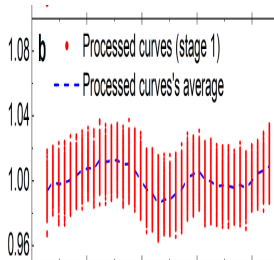
1. Origin
PSI image



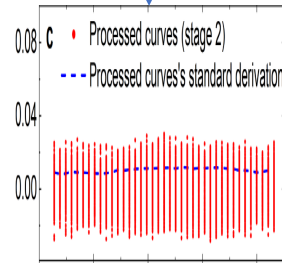
2. Averaged
to 1D



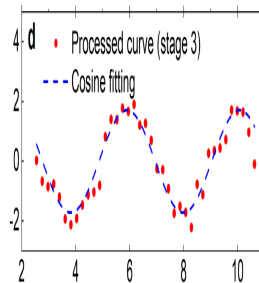
3. Divided by
Gaussian fitting



4. divided by
the curves'
average



5. divided by
the curves'
standard
derivation

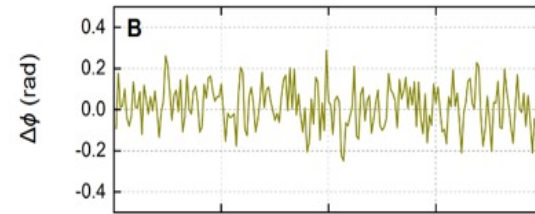


Check this scheme by numeral simulation

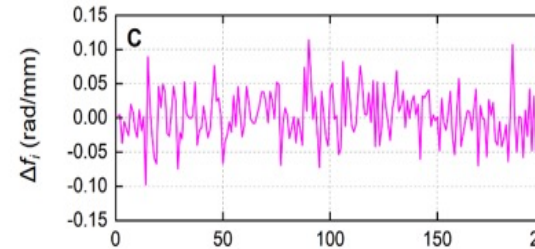
$$R_j = amp_{noise} + f(x)A \cdot Exp[(-x - x_0)^2 / \sigma x^2]^* (1 + g(x)C \cdot Cos[\omega(x - x_0) + pha_{noise}])$$

$f(x)$ represents the offset and $g(x)$ represents the amplitude

set value VS fitted value



phase difference:
 $\Delta\phi = 16 \pm 109$ mrad



spatial frequency
difference: $\Delta f_i = 3 \pm 38$
mrad/mm.

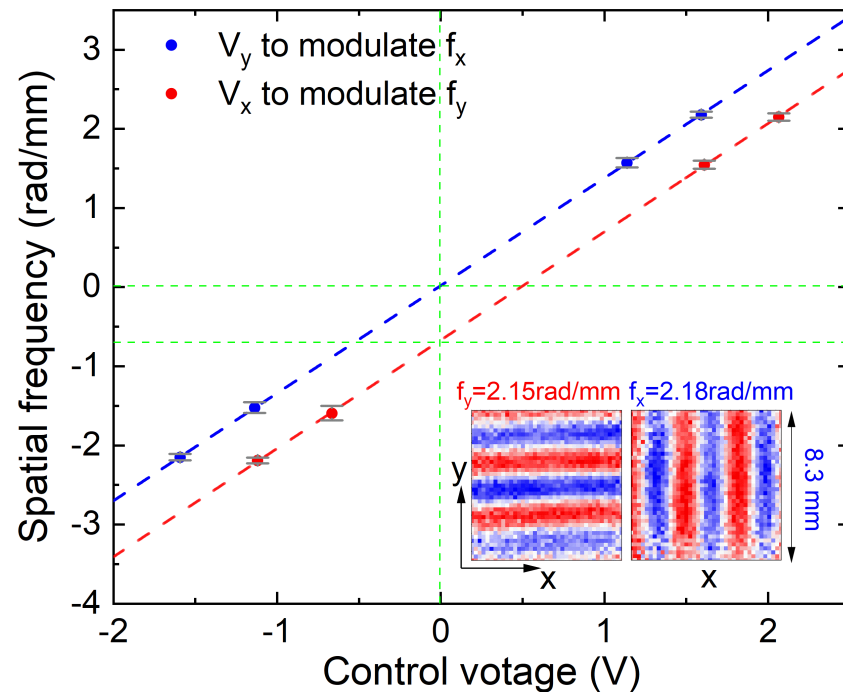
The method has no bias and near optimal

Calibration the angle of the Raman laser in orbit

Problem: The rotation is extract from the PSI fringe's spatial frequency, the spatial frequency is closely relative to angle of the mirror

$$f_i = \frac{2k_{eff}}{2T + t_0} (\theta_{j,3}T + \Omega_j T^2)$$

How to calibrate the angle of the mirror in orbit?



By changing the rotation angle and measure the spatial frequency, one the separate the rotation angle (slope) and the rotation rate(offset).

$$\alpha_x = 116.75 \pm 0.41 \mu\text{rad/V}$$

$$\alpha_y = 115.21 \pm 0.20 \mu\text{rad/V.}$$

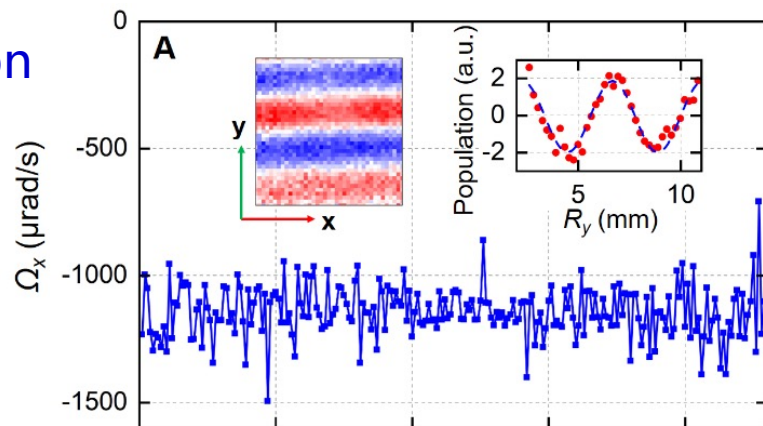
$$\Omega_x = (-115.3 \pm 1.2) \times 10^{-5} \text{ rad/s,}$$

$$\Omega_y = (-0.37 \pm 0.57) \times 10^{-5} \text{ rad/s.}$$

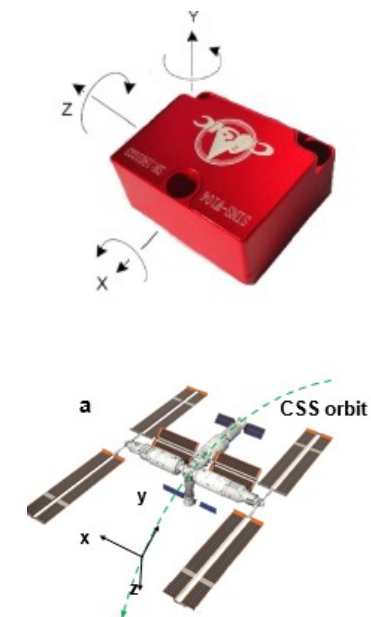
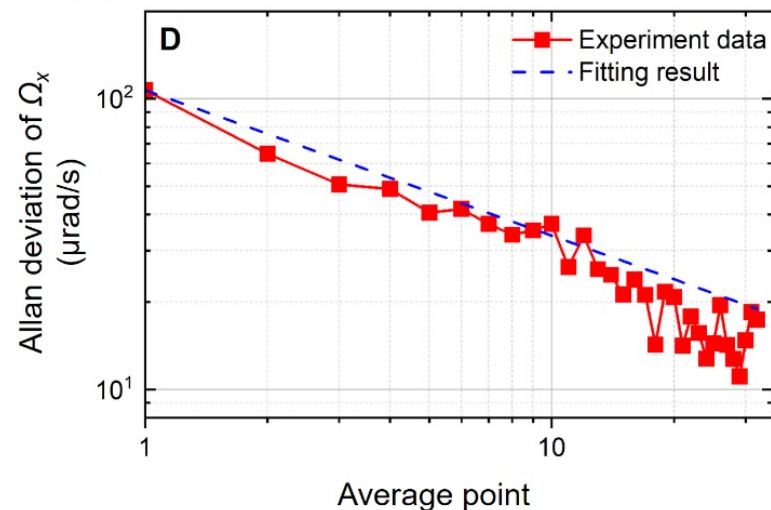
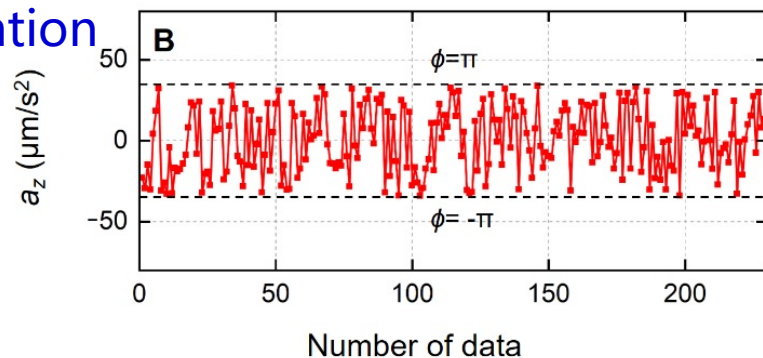
Rotation and acceleration measurement

Rotation and acceleration measurement with $T=75$ ms

Rotation



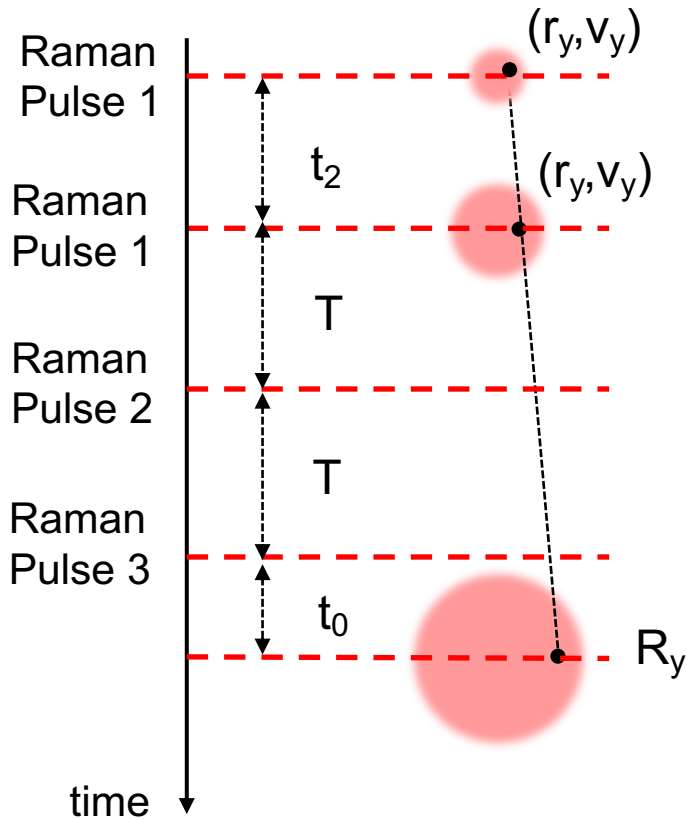
Acceleration



Resolution for rotation: 1.7×10^{-5} rad/s for 32 PSI measurements

Resolution for acceleration: 1.0×10^{-6} m/s² for one PSI measurement

Systemic effect estimation



Exact formulars of the phase and spatial frequency of PSI

$$\left\{ \begin{array}{l} \phi = k_{eff} a_z T^2 + \sum_i k_{eff} [2\Omega_i v_j T^2 + \theta_{i,1} r_j + \theta_{i,3} (r_j + 2v_j T)] \\ R_j = r_j + v_j (2T + t_0) \end{array} \right.$$

↓ Integrated over the atom cloud's distributions

$$\phi_I = \phi_o$$

$$+ k_{eff} \sum_i \delta_i \left(\frac{t_0}{t} + \frac{t - t_0}{t} \frac{\sigma_{\rho i}^2}{\sigma_{v i}^2 t^2 + \sigma_{\rho i}^2} \right) R_i \Delta \theta_j$$

$$+ k_{eff} \sum_i \delta_i \frac{t - t_0}{t} \cdot \frac{\sigma_{v i}^2 t^2 \rho_{i0} - \sigma_{\rho i}^2 v_{i0} t}{\sigma_{v i}^2 t^2 + \sigma_{\rho i}^2} \Delta \theta_j$$

$$f_i = f_{i0} + \Delta f_i$$

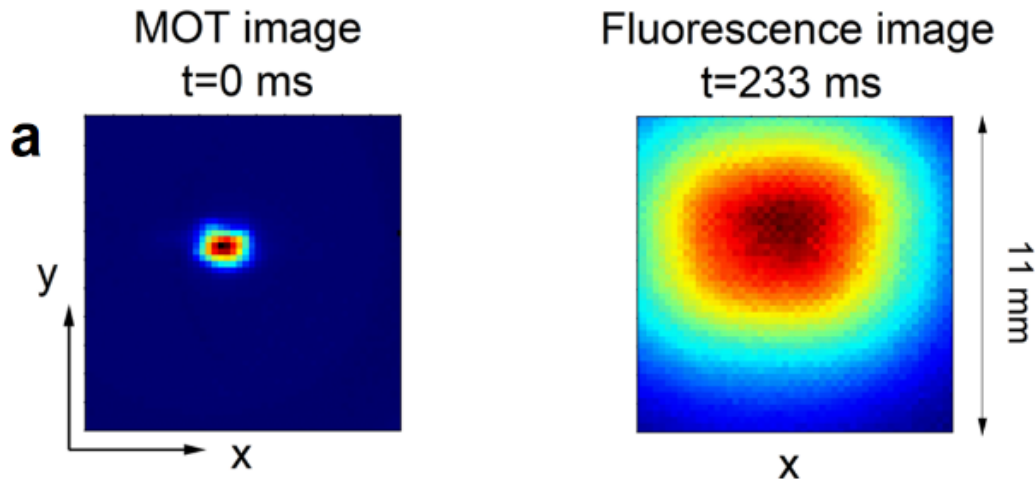
$$f_i + k_{eff} \left(\frac{t_0}{t} + \frac{t - t_0}{t} \frac{\sigma_{\rho i}^2}{\sigma_{v i}^2 t^2 + \sigma_{\rho i}^2} \right) \Delta \theta_j$$

Acceleration and rotation can be accuracy extracted through the above two equations.

Systemic effect estimation

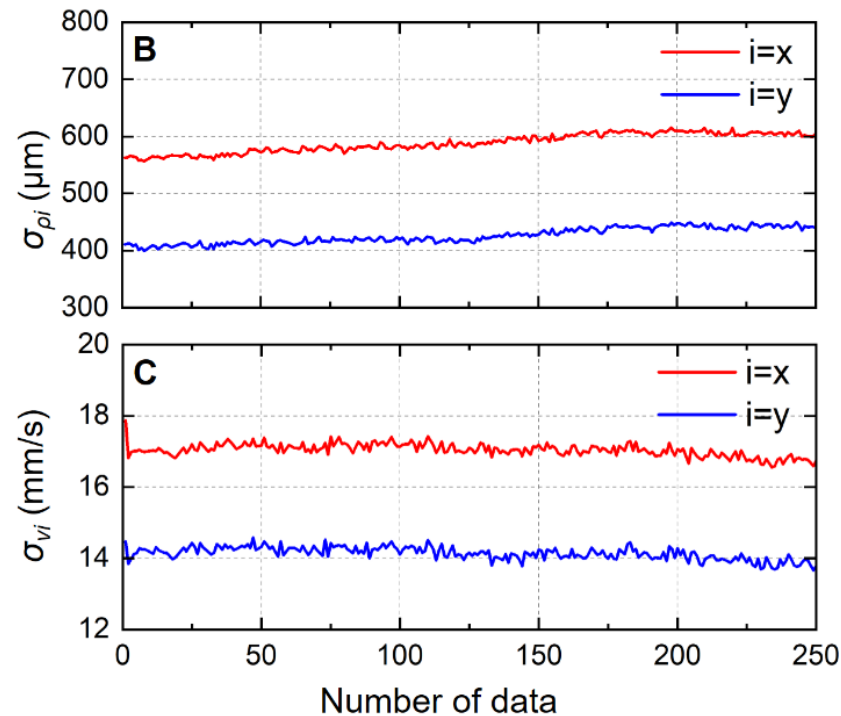
One should measure or estimate all parameters and their uncertainty to estimate the value of rotation.
One example: velocity and position distributions of the atom cloud.

$$F(\rho_i, v_i) = N_1 e^{-\frac{(\rho_i - \rho_{i0})^2}{2\sigma_{\rho_i}^2}} e^{-\frac{(v_i - v_{i0})^2}{2\sigma_{v_i}^2}}$$



Position and velocity distributions are measured by the TOF method.

$$T_x = 2.94 \pm 0.06 \mu\text{K}$$
$$T_y = 2.02 \pm 0.05 \mu\text{K}$$



Position distribution

x: 0.590 mm
y: 0.427 mm

Velocity distribution

x: 17.04 mm/s
y: 14.13 mm/s

Systemic effect estimation

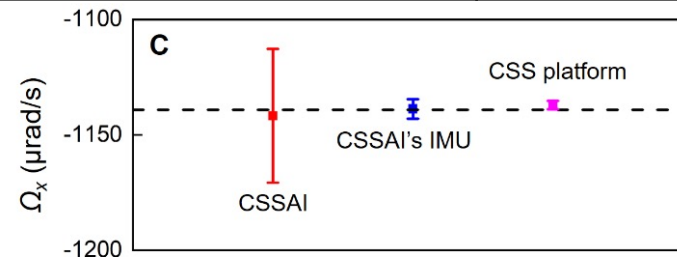
Rotation measurement error estimation

Parameters terms	Parameters values	Evaluated result ($\mu\text{rad/s}$)
Spatial frequency (fitting result) (rad/mm)	$f_y=1.497\pm 0.013$	-1142 ± 17
magnification factor of the imaging system (a.u.)	2.22 ± 0.03	± 21
Angles of 3 rd Raman laser pulses (μrad)	$\theta_{x,3}=202.94\pm 0.72$	± 10
Difference angle of $\theta_{x,1}$ (rad)	$\Delta\theta_x=2.41\pm 0.41$	± 1
Interference time (μs)	$T=75137.3\pm 0.23$	$\pm 3\times 10^{-3}$
Time before the 1 st Raman pulse (μs)	$t_0=43245.8\pm 0.13$	$\pm 2\times 10^{-5}$
Time after the 3 rd Raman laser pulse (μs)	$t_1=40146\pm 10$	$\pm 9\times 10^{-2}$
Width of the Raman π pulse (μs)	$\tau=17\pm(5\times 10^{-5})$	$\pm 6\times 10^{-7}$
Effective wave vector (m^{-1})	$k_{\text{eff}}=16105813.75\pm 0.09$	$\pm 9\times 10^{-6}$
Width of the MOT's position (mm)	$\sigma_{\rho_i}=0.427\pm 0.013$	$\pm 3\times 10^{-2}$
Width of the MOT's velocity (mm/s)	$\sigma_{v_i}=14.13\pm 0.18$	$\pm 1\times 10^{-2}$
Magnetic field	$B_0=504.7\pm 1.3$ mG $\gamma_{i,2}=\pm 1.3$ G/m ²	$\pm 2\times 10^{-1}$
In total		-1142 ± 29

CSSAI $(-114.2\pm 2.9)\times 10^{-5}$ rad/s

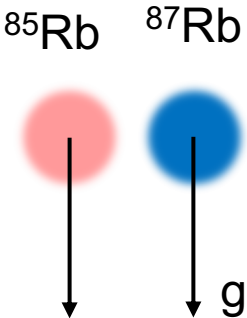
CSSAI's IMU $(-113.87\pm 0.41)\times 10^{-5}$ rad/s

CSS platform $(-113.70\pm 0.18)\times 10^{-5}$ rad/s



What we can do next

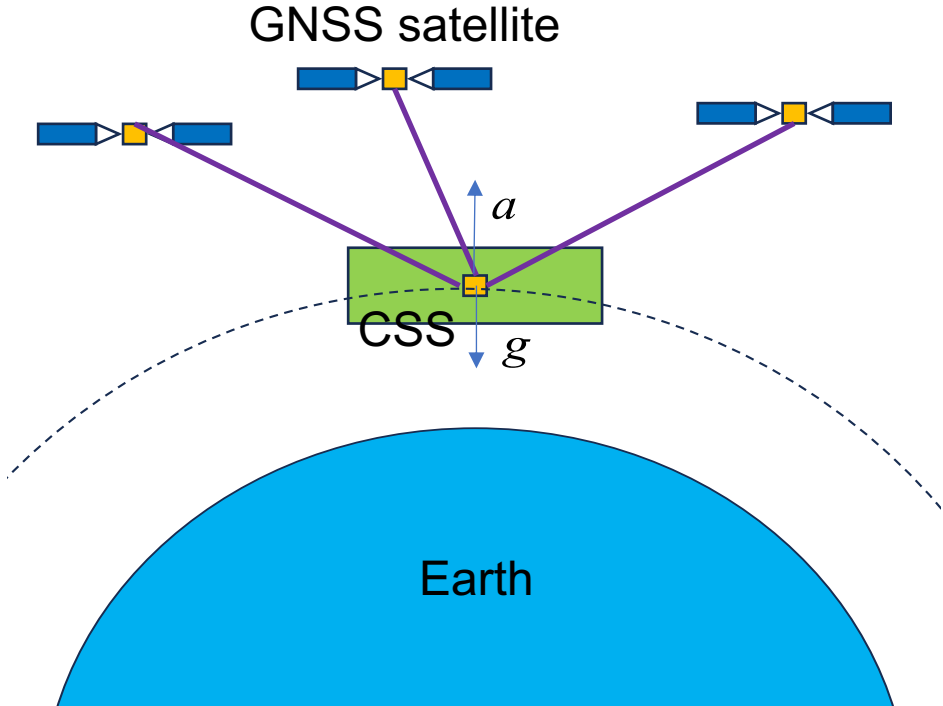
EP test



$$\eta = \frac{\Delta\phi}{k_{eff}gT^2}$$

$\sim 10^{-9}$

Gravity field mapping



$$g = a_{\text{Residual}} + a_{\text{Motion}}$$

$\sim 10^{-6} g$

Acknowledgments

<http://cap.apm.ac.cn/>

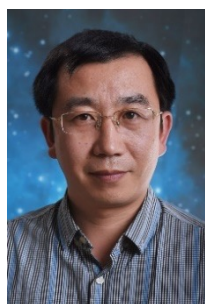
ZMS - AMP



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Postdocs
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Dongfeng Gao
高东峰



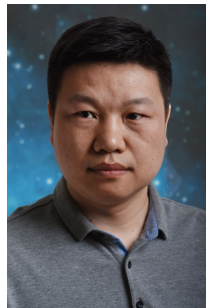
Lin Zhou
周林



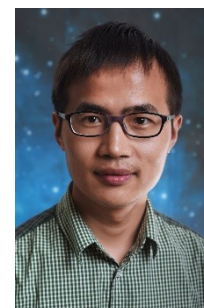
Jiaqi Zhong
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Zongyuan Xiong
熊宗元



Min Ke
柯敏



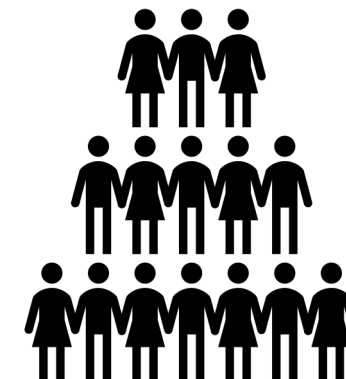
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王一波



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Chinese Academy of Sciences (CAS)

All of you,
for your attention!